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Thermodynamic calculation of the turbofan engine

Methodical instructions for course work

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TaskEvaluate the ideal GTE cycle using initial data given in Table 1.

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Air composition	on					
H, m	N ₂ , %	N ₂ , %		O ₂ , % CO ₂ , %		H ₂ O, %
10000	78,01	78,01 20		0,11		1,01
Fuel composit	ion and proper	ties				
	Chemical	Chemical Sulfu		Density a	t	Low heat value
	formula		sture 20°C, kg/m ³ tage, %		n^3	H _u , kJ/kg
T – 1	$C_{7,2}H_{13,3}$	0.0	005	0.775		43000
	Air physical pr	operties	(as a fu	nction of alt	itud	le)
H_{π} , m	T_0 , 1	Т ₀ , К		P_0 , N/m^2		ρ kg/m³
10000	218	218		17000		
Additional val	ues					
Engir	160000					
Turbine inl	1630					
Fuel consumption rate q, kg/(h·kN)			0.0595			
Ambient air temperature T _T , K			300			
Flight velocity mach number, km/h			0.8			

List of symbolic notations and indices

 C_0 — incident air flow rate, m/s

 C_5 — exhaust gas rate, m/s

 C_p — heat capacity at constant pressure, J/kg·K

 C_v — heat capacity at constant volume, J/kg·K

G — mass, kg

H — altitude, m

k — ratio of specific heats

M — molar mass, mol

p — pressure, Pa

q — heat, J/kg

R — specific gas constant, $J/(\text{mol} \cdot K)$

R — universal gas constant, $J/(kg \cdot K)$

 $R_{y\partial}$ — specific thrust, m/s

L – specific work;

S — entropy, J/kg

T—temperature, K

U — internal energy, J/kg

v — specific volume, m³/kg

 α — air-to-fuel ratio

 Δ — change of parameter

 $\eta_{\rm t}$ — cycle thermal efficiency, %

 ρ_0 — air density, kg/m³

 τ — time, h

' — superscript of air parameters

"— superscript of combustion gases parameters opt – optimum;

i – component/process subscript;

ц – cycle;

к – compressor;

O – point O in process diagram.

Introduction

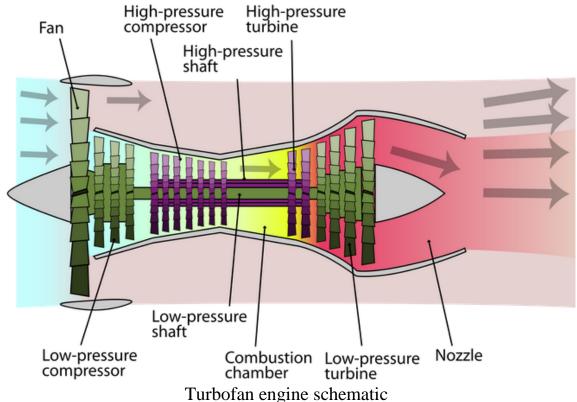
Aircraft gas turbine engine (GTE) is a complex technological system with high efficiency. Its construction has been being improved to perfection through many experiments and by using statistical data. All technological achievements in spheres of construction, material science, manufacturing, and methods of increasing engine load capacitance and fatigue limit has been realized in modern engine. New generation engines have been developed and successfully manufactured with some implemented modifications which have enhanced specific operation parameters. Large volume of useful data has been collected from practical use and development of GTE which are still being used, maintained and manufactured. This data is of great help to engineers who work on improving GTE characteristics and designing new engine constructions of present and future generations.

Factors which define the quality of aircraft engine are the following: quality of engine construction and materials; manufacturing processes; technological processes of assembly and test of components and engine itself; quality of spare parts; measurement assurance of production processes; storage/retrieval operations; operating conditions and others.

The objective of the course work is evaluation of working medium state parameters and energy characteristics of turbofan engine. Calculations should be made for the ideal turbofan engine cycle, considering heating process to be isobaric.

1. Brief description of turbofan engine operating principle

Turbofan engine is a high-by-pass-ratio engine (by-pass ratio is higher than 2). A single stage fan of large diameter is used in such engines maintaining high air engine flow rate at all flight velocities, including low takeoff and landing velocities. As the fan diameter of by-pass GTE is quite large, the jet nozzle is made shortened in order to decrease its weight. Nozzle is equipped with straightener blades which turn airflow axially. That is the reason why the majority of by-pass GTE are without flow mixing. Economic efficiency of turbofan engine is due to additional thrust made by the fan which rotational energy is converted from jet exhaust stream energy. Turbofan engine can produce 70-80% of ideal turbofan engine thrust.



2. Evaluation of working medium cycle

2.1 Evaluation of working medium composition

Evaluation of mass and mole components fractions, molecular mass and heat capacity is made for air which enters GTE at the altitude and velocity given.

Volume component fractions are:

$$r_{N_2} = 0,7753$$

 $r_{O_2} = 0,2039$

$$r_{CO_2} = 0,0059$$

$$r_{H_2O} = 0.0149$$

Molecular mass of mixture is found as:

$$\mu_{CM} = \sum_{i=1}^{4} r_i \cdot \mu_i$$

$$\mu_{CM} = r_1 \cdot \mu_1 + r_2 \cdot \mu_2 + r_3 \cdot \mu_3 + r_4 \cdot \mu_4$$

Mass fractions of each component at the air of 1 kg mass is found as:

$$g_1 = \frac{r_1 \cdot \mu_1}{\mu_{cM}}; g_2 = \frac{r_2 \cdot \mu_2}{\mu_{cM}}; g_3 = \frac{r_3 \cdot \mu_3}{\mu_{cM}}; g_4 = \frac{r_4 \cdot \mu_4}{\mu_{cM}}$$

The results should obey the following equation:

$$\sum_{i=1}^4 g_i = 1;$$

Mole fraction and mass of each component at the mixture of 1 kg is found as:

$$\begin{aligned} G_{i} &= g_{i} \cdot G_{CM}, \\ G_{CM} &= 1 \text{ kg}, \\ M_{i} &= \frac{G_{i}}{\mu_{i}} \\ M_{1} &= \frac{G_{1}}{\mu_{1}}; M_{2} = \frac{G_{2}}{\mu_{2}}; M_{3} = \frac{G_{3}}{\mu_{3}}; M_{4} = \frac{G_{4}}{\mu_{4}} \end{aligned}$$

The next step is calculating isobaric and isochoric heat capacities, and ratio of specifics heats and specific gas mixture constant:

$$C'_{p} = \sum_{i=1}^{4} g'_{i} \cdot C'_{pi};$$

$$C'_{v} = \sum_{i=1}^{4} g'_{i} \cdot C'_{vi};$$

$$C'_{p} = g'_{1} \cdot C'_{p1} + g'_{2} \cdot C'_{p2} + g'_{3} \cdot C'_{p3} + g'_{4} \cdot C'_{p4}$$

$$C'_{v} = g'_{1} \cdot C'_{v1} + g'_{2} \cdot C'_{v2} + g'_{3} \cdot C'_{v3} + g'_{4} \cdot C'_{v4}$$

$$k = \frac{C'_{p}}{C'_{v}}$$

$$R = C'_{p} - C'_{v}$$

The result should obey the following equation:

$$R_{cm} = \frac{8314}{\mu_{cm}}$$

2.2 Evaluation of optimum GTE compression ratio

The first step is to define air temperature after the diffusor. When air flow passes the fan its pressure increases. Fan pressure ratio lies between 1.5 and 2. Air temperature after the fan is defined as:

$$T_1 = T_0 \cdot \pi_{\scriptscriptstyle \mathcal{B}}^{\frac{k-1}{k}}.$$

 $\pi_{\rm B}$ – compressor pressure ratio.

Optimum compressor pressure ratio equals:

$$\left(\pi_{k}\right)_{opt} = \left\lceil \frac{T_{3}}{T_{1}} \right\rceil^{\frac{k}{2(k-1)}}.$$

2.3 Calculating air-to-fuel ratio

Fuel is kerosene TC – 1

$$j = \frac{n}{m};$$

$$f = 4 \cdot j + 1;$$

$$F = G(O_2) \cdot \left(\frac{11 \cdot j \cdot C_p(CO_2)}{2 \cdot f} + \frac{9 \cdot C_p(H_2O)}{8 \cdot f} - C_p(O_2)\right)$$

$$T_T = 300K;$$

$$H_u = 43130 \cdot 10^3 \frac{J}{kg \cdot K};$$

$$\alpha = \frac{G(O_2) \cdot \frac{12 \cdot j + 1}{8 \cdot f} \cdot H_u - F \cdot (T_3 - T_T)}{C_p \cdot G \cdot \left(T_3 - T_1 \cdot \pi_k^{\frac{k^2 - 1}{k^2}}\right)};$$

2.4 Evaluating compositions of combustion gases and air-to-fuel mixture Masses and mole and mass fractions of combustion gases components is found as:

$$G``(H_{2}O) = G`(H_{2}O) + \frac{9 \cdot G`(O_{2})}{8 \cdot \alpha \cdot f}$$

$$G``(N_{2}) = G`(N_{2})$$

$$G``(CO_{2}) = G`(CO_{2}) + \frac{11 \cdot j \cdot G`(O_{2})}{2 \cdot \alpha \cdot f}$$

$$G``(O_{2}) = \frac{\alpha - 1}{\alpha} \cdot G`(O_{2})$$

$$G`` = G``(H_{2}O) + G``(N_{2}) + G``(CO_{2}) + G``(O_{2})$$

$$g``(N_{2}) = \frac{G``(N_{2})}{G``}$$

$$g``(O_{2}) = \frac{G``(O_{2})}{G``}$$

$$g``(CO_{2}) = \frac{G``(CO_{2})}{G``}$$

$$g``(H_{2}O) = \frac{G``(H_{2}O)}{G``}$$

$$\sum_{i=1}^{4} g_{i}`` \approx 1.$$

Fuel mass is defined as:

$$G_{T} = \frac{G(O_{2}) \cdot (12 \cdot j + 1)}{8 \cdot \alpha \cdot f}$$

$$G_{T} + G' = G'',$$

The next step is calculating isobaric and isochoric heat capacities, and ratio of specifics heats and specific combustion gases constant:

$$C_{pi}^{``} = \sum_{i=1}^{4} g_{i}^{``} \cdot C_{pi}^{``};$$

$$C_{vi}^{``} = \sum_{i=1}^{4} g_{i}^{``} \cdot C_{vi}^{``};$$

$$C_{p}^{``} = g^{``}(N_{2}) \cdot C_{p}^{'}(N_{2}) + g^{``}(O_{2}) \cdot C_{p}^{`}(O_{2}) + g^{``}(CO_{2}) \cdot C_{p}^{`}(CO_{2}) + g^{``}(H_{2}O) \cdot C_{p}^{`}(H_{2}O);$$

$$C_{v}^{``} = g^{``}(N_{2}) \cdot C_{v}^{`}(N_{2}) + g^{``}(O_{2}) \cdot C_{v}^{`}(O_{2}) + g^{``}(CO_{2}) \cdot C_{v}^{`}(CO_{2}) + g^{``}(H_{2}O) \cdot C_{v}^{`}(H_{2}O);$$

$$k^{``} = \frac{C_{p}^{``}}{C_{v}^{``}}$$

$$R^{``} = C_{p}^{``} - C_{v}^{``}$$

Specific constants should be approximately equal: $R^{\circ} \approx R^{\circ}$

Table 2. Working medium composition

Parameters		Components					
		N_2	O_2	CO_2	H_2O		
$R_i, \frac{J}{kg \cdot K}$		297.2	260	188.8	461		
$C_{pi}, \frac{J}{kg \cdot K}$		1039.2	915	814.8	1859		
$C_{vi}, \frac{J}{kg \cdot K}$		742	655	626	1398		
\Box , $\frac{kg}{kmol}$		28	32	44	18		
G _i , kg							
O ₁ , Kg	Прод.сгор						
M _i ,	Воздух						
mol	Прод.сгор						
g_{i}	Воздух						
	Прод.сгор						

Table 3. Working medium properties

2.5 Cycle parameters calculation

Смесь	$C_{p,} \frac{J}{kg \cdot K}$	$C_{v,} \frac{J}{kg \cdot K}$	$R, \frac{J}{kg \cdot K}$	k	G, kg
Воздух					
Прод. сгор					

Point 1. Process 0-1 – adiabatic compression of air in the fan

$$T_1 = 300K$$
 (found above);

$$P_1 = P_0 \cdot \pi_s$$

$$v_0 = \frac{1}{\rho};$$

$$v_0 = \frac{1}{\rho};$$

$$v_1 = v_0 \cdot \left(\frac{P_0}{P_1}\right)^{\frac{1}{k}}.$$

Point 2. Process 1-2 – adiabatic compression of air in the compressor

$$T_{2} = T_{1} \cdot \left(\pi_{k}\right)_{Opt}^{\frac{k^{*}-1}{k^{*}}};$$

$$P_{2} = P_{1} \cdot \left(\pi_{k}\right)_{Opt};$$

$$\upsilon_{2} = \frac{R^{*} \cdot T_{2}}{P_{2}}.$$

Point 3. Process 2-3 – isobaric heating in the combustion chamber

$$T_3$$
;
 $P_3 = P_2$;
 $\rho = \frac{T_3}{T_2}$ – temperature ratio;
 $v_3 = \frac{R \cdot T_3}{P_3}$.

Point 4. Process 3-4 – adiabatic expansion of working mixture in the turbine

$$T_4 = T_3 - T_2 + T_1$$

$$P_4 = P_3 \cdot \left(\frac{T_4}{T_3}\right)^{\frac{k}{k-1}}$$

$$v_4 = \frac{R \cdot T_4}{P_4}$$

Point 6. Process 4-6 – adiabatic expansion of working mixture in the nozzle down to ambient pressure $\underline{p_0} = \underline{p_5}$

$$P_6 = P_0$$

$$T_6 = T_4 \cdot \left(\frac{P_0}{P_3}\right)^{\frac{k^*-1}{k^*}}$$

$$v_6 = \frac{R^* \cdot T_6}{P_6}$$

2.6 Calculation of fan drive turbine power

The next step is defining turbine power which is enough large to drive the fan. It can be derived from thrust equation of by-pass engine:

$$R = G_{\scriptscriptstyle 6}\left(c_{\scriptscriptstyle 6} - c_{\scriptscriptstyle 0}\right) + F_{\scriptscriptstyle 6\textit{eHm}}\left(p_{\scriptscriptstyle 1} - p_{\scriptscriptstyle 0}\right).$$

Thrust-airflow-rate ration is defined as:

$$\frac{R}{G_{e}} = (c_{6} - c_{0}) + \frac{F_{eenm}(p_{1} - p_{0})}{G_{e}}$$

Inlet flow rate can be defined using specific fuel consumption rate:

$$G_{m} = q_{m} \cdot R$$

$$G(O_{2}) = \frac{8 \cdot \alpha \cdot f \cdot G_{T}}{(12 \cdot j + 1)}$$

$$G_{\scriptscriptstyle g} = \frac{G(O_2)}{g_2}.$$

Mass inlet rate equals:

$$G_{\epsilon} = \rho_0 c_0 F_0$$

Air velocity is found as:

$$c_0 = M \cdot a = M \cdot \sqrt{k \cdot R \cdot T_0}$$

$$\frac{R}{G_{\bullet}} = (c_6 - c_0) + \frac{F_{\text{GEHIM}} p_0 (\pi_{\text{G}} - 1)}{\rho_0 c_0 F_0}$$

By-pass ratio is a ratio of fan flow area to inlet flow area:

$$m = \frac{G_{\text{\tiny gentm}}}{G_{\text{\tiny gentm}}} = \frac{\rho_0 F_{\text{\tiny gentm}} c_0}{\rho_0 F_{\text{\tiny g}} c_0} = \frac{F_{\text{\tiny gentm}}}{F_{\text{\tiny g}}}.$$

Derived from ideal gas flow is:

$$\frac{p}{\rho} = RT$$

Then

$$\frac{R}{G_{e}} = (c_{6} - c_{0}) + \frac{mRT_{0}(\pi_{e} - 1)}{c_{0}}.*$$

Fan power is defined as:

$$N_{\rm\scriptscriptstyle GEHM} = G_{\rm\scriptscriptstyle GEHM} \cdot \frac{k}{k-1} R T_0 \bigg[\pi_{\rm\scriptscriptstyle G}^{\frac{k-1}{k}} - 1 \bigg].$$

Divided by G_B:

$$l_{\text{\tiny BEHM}} = m \frac{k}{k-1} R T_0 \left[\pi_{\text{\tiny B}}^{\frac{k-1}{k}} - 1 \right]$$

Then, by-pass ratio is defined as:

$$m = \frac{l_{\text{gehm}}}{\frac{k}{k-1}RT_0\left[\pi_{\text{g}}^{\frac{k-1}{k}} - 1\right]} **$$

Value of velocity c_6 is derived from:

$$\begin{split} i_{5} &= i_{6} + \frac{c_{6}^{2}}{2}. \\ i_{5} &= i_{4} - l_{\text{вент}} \\ c_{6} &= \sqrt{2 \left(i_{4} - i_{6} - l_{\text{вент}}\right)} = \sqrt{2 \left(c_{p} \left(T_{4} - T_{6}\right) - l_{\text{вент}}\right)} \ *** \end{split}$$

Substituting equations ** and *** to *:

$$\frac{R}{G_{\scriptscriptstyle 6}} = \sqrt{2\left(c_{\scriptscriptstyle p}\left(T_{\scriptscriptstyle 4}-T_{\scriptscriptstyle 6}\right)-l_{\scriptscriptstyle 6emm}\right)} - c_{\scriptscriptstyle 0} + \frac{l_{\scriptscriptstyle 6emm}\left(\pi_{\scriptscriptstyle 6}-1\right)}{c_{\scriptscriptstyle 0}\frac{k}{k-1}\!\left(\pi_{\scriptscriptstyle 6}^{\frac{k-1}{k}}-1\right)}.$$

Solution of the equation above is quite sophisticated to be derived analytically, despite it has only one indeterminate (l_{BeHT}). It is recommended to use Mathcad program to solve it analytically or diagrammatically.

Having found fan work value, by-pass ratio can be found as:

$$m = \frac{l_{\text{GEHM}}}{\frac{k}{k-1}RT_0 \left[\pi_{\text{G}}^{\frac{k-1}{k}} - 1 \right]}$$

The next step is defining temperature and pressure:

$$T_5 = rac{i_5}{c_p} = rac{i_4 - l_{genm}}{c_p} = T_4 - rac{l_{genm}}{c_p}.$$

$$P_5 = P_4 \cdot \left(rac{T_5}{T_4}
ight)^{rac{k^*}{k^*-1}}$$

3. Calculating caloric values of GTE cycle

3.1 Changes of caloric values at cycle processes

Internal energy change, enthalpy change and entropy change can be found from:

From:
$$\Delta U_{i} = C_{v} \cdot (T_{i+1} - T_{i}); \quad \Delta h_{i} = C_{p} \cdot (T_{i+1} - T_{i}); \quad \Delta S_{i} = C_{p} \cdot \ln\left(\frac{T_{i+1}}{T_{i}}\right) - R \cdot \ln\left(\frac{P_{i+1}}{P_{i}}\right);$$

$$\Delta U_{0-1} = C_{v} \cdot (T_{1} - T_{0})$$

$$\Delta U_{1-2} = C_{v} \cdot (T_{2} - T_{1})$$

$$\Delta U_{2-3} = C_{v} \cdot (T_{3} - T_{2})$$

$$\Delta U_{3-4} = C_{v} \cdot (T_{4} - T_{3})$$

$$\Delta U_{4-5} = C_{v} \cdot (T_{5} - T_{4})$$

$$\Delta U_{5-6} = C_{v} \cdot (T_{6} - T_{5})$$

$$\Delta U_{5} = \sum_{i=1}^{7} \Delta U_{i}$$

$$\Delta h_{0-1} = C_{p} \cdot (T_{1} - T_{0})$$

$$\Delta h_{1-2} = C_{p} \cdot (T_{2} - T_{1})$$

$$\Delta h_{2-3} = C_{p} \cdot (T_{3} - T_{2})$$

$$\Delta h_{3-4} = C_{p} \cdot (T_{4} - T_{3})$$

$$\Delta h_{4-5} = C_{p} \cdot (T_{5} - T_{4})$$

$$\Delta h_{5-6} = C_{p} \cdot (T_{0} - T_{5})$$

$$\Delta h_{6-0} = C_{p} \cdot (T_{0} - T_{5})$$

$$\Delta h_{\Sigma} = \sum_{i=1}^{7} \Delta i_{i}$$

$$\Delta S_{2-3} = C_{p} \cdot \ln \left(\frac{T_{3}}{T_{2}} \right) - R \cdot \ln \left(\frac{P_{3}}{P_{2}} \right)$$

$$\Delta S_{6-0} = C_{p} \cdot \ln \left(\frac{T_{0}}{T_{5}} \right) - R \cdot \ln \left(\frac{P_{o}}{P_{5}} \right)$$

$$\Delta S_{\Sigma} = \sum_{i=1}^{6} \Delta S_{i}$$

3.2 Calculation of heat energy

$$q_{0-1} = q_{1-2} = 0;$$

$$q_{3-4} = q_{4-5} = 0;$$

$$q_{2-3} = q_1 = C_p \cdot (T_3 - T_2)$$

$$q_{5-0} = q_2 = C_p \cdot (T_5 - T_0)$$

$$q_u = q_1 - q_2.$$

3.3 Calculation of work

$$\begin{split} -l_{0-1} &= \Delta h_{0-1} \Longrightarrow l_{0-1} = -\Delta h_{0-1} - \text{ fan compression work} \\ -l_{1-2} &= \Delta h_{1-2} \Longrightarrow l_{1-2} = -\Delta h_{1-2} - \text{ compressor work} \\ -l_{3-4} &= \Delta h_{3-4} \Longrightarrow l_{3-4} = -\Delta h_{3-4} - \text{ turbine work} \\ -l_{4-5} &= \Delta h_{4-5} \Longrightarrow l_{4-5} = -\Delta h_{4-5} - \text{ fan drive work} \\ -l_{5-6} &= \Delta h_{5-6} \Longrightarrow l_{5-6} = -\Delta h_{5-6} - \text{ nozzle work} \\ l_{II} &= \sum_{i=1}^{5} l_i \; \frac{J}{kg}. \end{split}$$

4. Evaluating working medium properties at the passing points of compression and expansion processes

4.1 Evaluating passing point parameters at P-V GTE cycle diagram
Defining p and v at passing points helps in building accurate diagrams. As 1-2
and 3-4-5-6 processes are adiabatic, any two plot points obey the following:

$$\frac{p_a}{p_1} = \left(\frac{v_1}{v_a}\right)^{k'}; \frac{p_b}{p_1} = \left(\frac{v_1}{v_b}\right)^{k'}; \frac{p_c}{p_4} = \left(\frac{v_4}{v_c}\right)^{k''}; \frac{p_d}{p_4} = \left(\frac{v_4}{v_d}\right)^{k''}.$$

With usage of values p_1, p_6, v_1, v_6 , parameters of two passing points can be found. These parameters should be used in building cycle diagram.

4.2 Evaluating process parameters of T-S cycle In order to build T-S cycle, temperature variation intervals should be subdivided into three approximately equal parts:

$$I.1)\Delta S_{2-a'} = c_p \ln \frac{T_{a'}}{T_2}.$$

2)
$$\Delta S_{2-b'} = c_p \ln \frac{T_{b'}}{T_2}$$
.

$$II1) \Delta S_{5-c'} = c_p \ln \frac{T_{c'}}{T_5};$$

2)
$$\Delta S_{5-d'} = c_p \ln \frac{T_{d'}}{T_5};$$

T-S cycle diagram can be built with usage of the values of temperature and entropy change found above (fig. 4).

5. Building p-v and T-S diagrams

Table 5. Parameter values at passing points

Parameter	Point					
	a	b	c	d		
p_i , Pa						
v_i , m ³ /kg						
Doromotor	Point					
Parameter	a	b	С	d		
T_i , K						
	Process					
	2- a'	2-b'	0-c'	0-d'		
ΔS_i , J/kg · K						

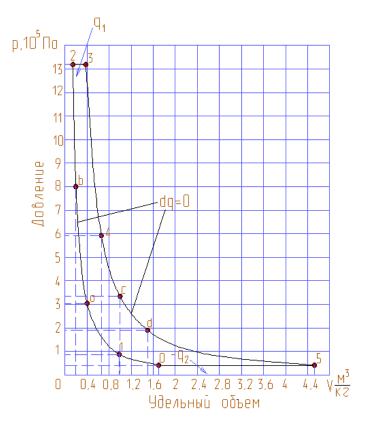


Fig. 3. p-v GTE cycle diagram

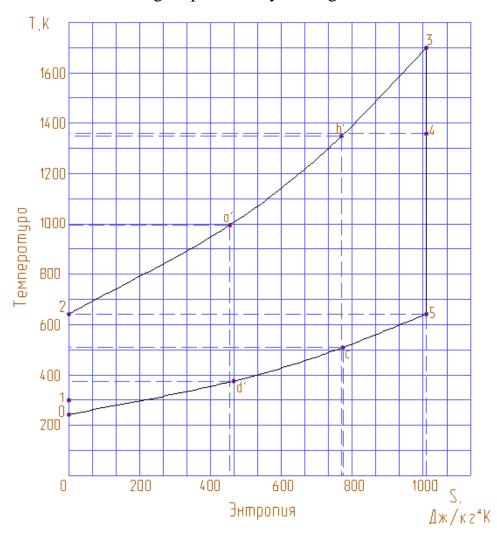


Fig. 4. T-S GTE cycle diagram

6. Evaluating energy characteristics of GTE

1) Working medium exhaust rate:

$$c_5 = \sqrt{2(h_4 - h_5)} = \sqrt{2 \cdot c_p \cdot (T_4 - T_5)};$$

2) Engine specific thrust:

$$R_{y\partial} = (c_5 - c_0) + \frac{m(p_1 - p_0)}{\rho_0 c_0};$$

3) Cycle thermal efficiency:

$$\eta_t = \frac{l_u}{q_1} \cdot 100\%;$$

4) Carnot cycle thermal efficiency:

$$\eta_t^k = \left(1 - \frac{T_0}{T_3}\right) \cdot 100\%.$$

Table 6. Energy characteristics of GTE

$\left(\pi_{_k} ight)_{opt}$	$l_{u}, \frac{J}{kg}$			C ₀ , m/s	C ₅ , m/s
		$\eta_{_T},\%$	$\boldsymbol{\eta}_{\scriptscriptstyle T}^{\scriptscriptstyle K},\%$	$G_{\text{возд}}, kg/s$	R _{уд} , m/s

7. Evaluating cycle work by graphic method with usage of ADEM 3.0 program



Fig. 5. Evaluating p-v cycle area $l_{\text{II,rp.}} = S_{\text{II}} \cdot \mu_l$, here $S_{\text{II}} - \text{p-v}$ cycle area; $S_{\text{II}} = 1712,82 \text{ } mm^2$; $\mu_l = 4 \cdot 10^2 \text{ J/kg} \cdot \text{mm}^2$ — scale; $l_{\text{II,rp.}} = 1712,82 \cdot 4 \cdot 10^2 = 685128 \text{ J/kg}$.

Calculation error:

$$\delta_{1} = \frac{l_{\text{II,pacy.}} - l_{\text{II,rp.}}}{l_{\text{II,pacy.}}} \cdot 100\%$$

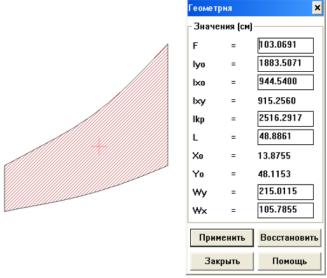


Fig. 6. Evaluating T-S cycle area $q_{\text{u.rp.}} = S_{\text{u}} \cdot \mu_{q}$, here $S_{\text{u}} - \text{T-S}$ cycle area; $S_{\text{u}} = 10306,91 \text{ } mm^{2}$; $\mu_{q} = 66,7 \text{ J/kg} \cdot \text{mm}^{2} - \text{scale}$;

$$q_{\text{\tiny H,rp.}} = 10306, 91 \cdot 66, 7 = 687471 \frac{J}{kg}$$
.

Calculation error:

$$\delta_2 = \frac{\left|q_{\text{II.pacч.}} - q_{\text{II.rp.}}\right|}{q_{\text{II.pacч.}}} \cdot 100\%$$

Conclusion

This work deals with evaluation of thermodynamic GTE parameters: composition of working fluid, caloric and energy characteristics). Flight altitude, time, velocity, engine thrust and fuel sort are given as initial values.

T-S and p-v diagrams of GTE cycle are built.

For chosen temperature intervals, cycle thermal efficiency is lower than Carnot cycle thermal efficiency.